



which we derive first.

**c) Proof of the Propositions**

$$\vdash^a \wp w \wedge (a \wedge f)'$$

and

$$\begin{array}{l} \vdash \wp \wedge (\wp w \wedge \wp f)' \\ \quad \vdash^a a \wedge w \\ \quad \quad \vdash a \wedge u \\ \vdash \wp u = \infty \end{array}$$

**§51. Analysis**

As is stated in §45, in order to use (476), we need the proposition

$$\begin{array}{l} \vdash \wp w \wedge \left( \wp \varepsilon \left( \vdash \varepsilon \wedge w \right) \wedge f \right)' \\ \quad \vdash c \wedge w \end{array} \quad (\alpha, 479)$$

which is derivable from (103). For this we need the proposition

$$\begin{array}{l} \vdash \wp w = \wp \varepsilon \left( \vdash \varepsilon = c \right. \\ \quad \left. \varepsilon \wedge \varepsilon \left( \vdash \varepsilon \wedge w \right) \right)' \\ \quad \vdash c \wedge w \end{array} \quad (\beta, 478)$$

**§53. Analysis**

We further derive from the proposition (476), with (145) and (165), the consequence that no finite number belongs to a concept if the number Endlos belongs to a concept subordinate to it.